

*Using β decays to constrain
(n, γ) reaction cross sections in
short lived nuclei*

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Michigan State University

Workshop “Theory for open-shell nuclei near the limits of stability”, MSU 2015

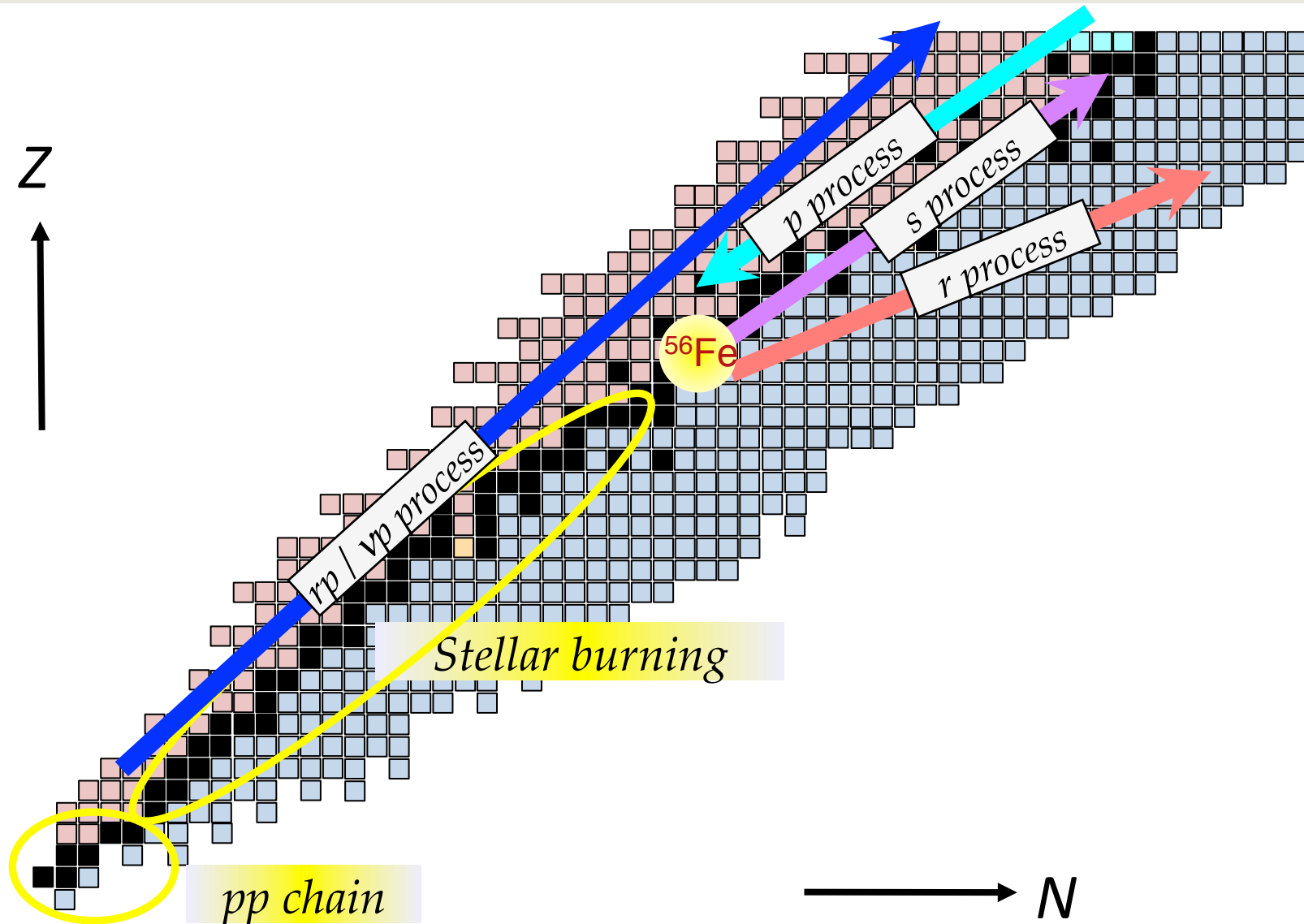
Artemis Spyrou, May 2015, Slide 1

Overview

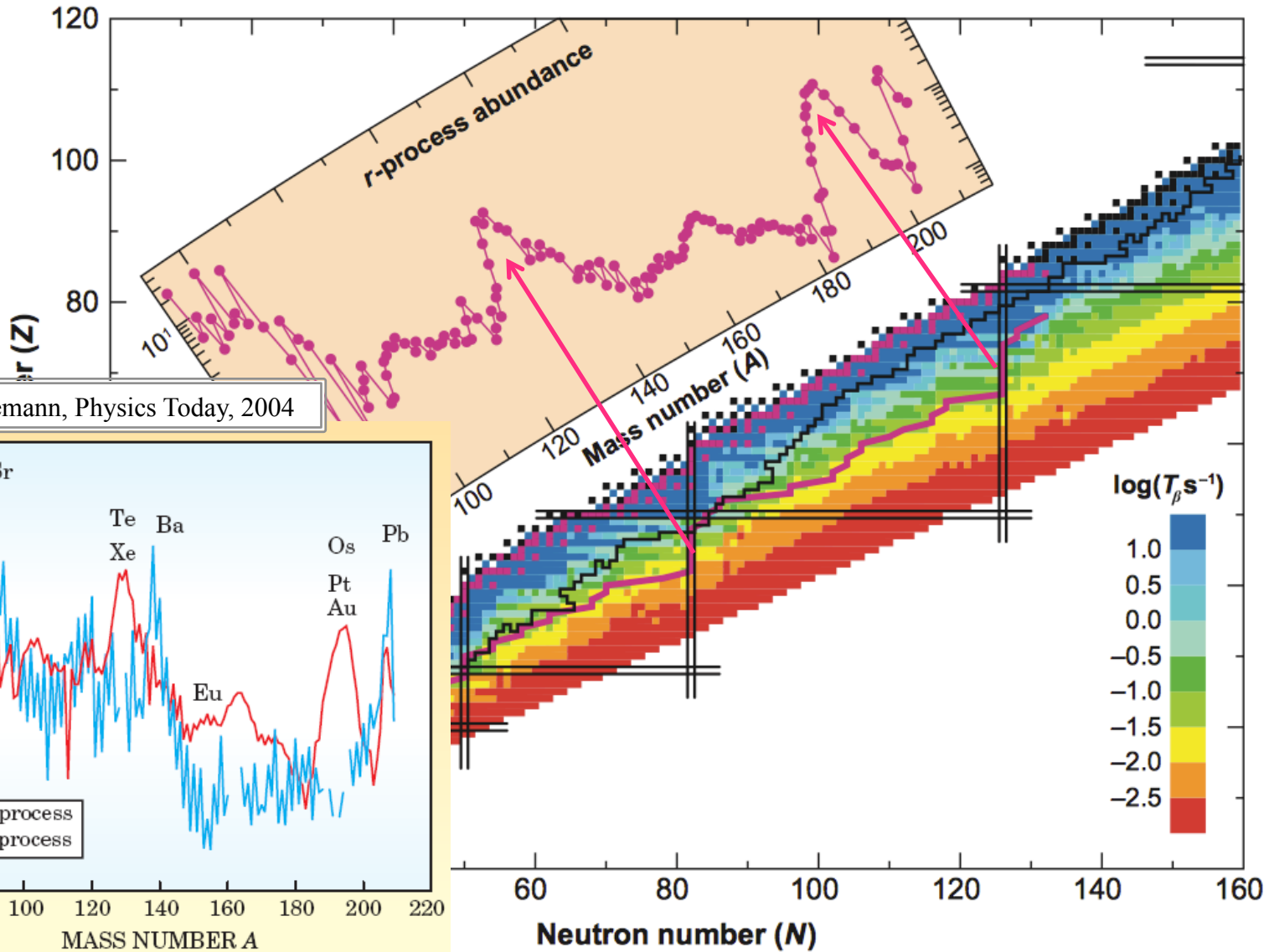
- R-process nucleosynthesis
- Uncertainties
 - β -decay rates
 - Neutron capture rates
- Experiment (short)
- Results
- Future plans



Nucleosynthesis paths



r-process path and abundances



Cowan and Thielemann, Physics Today, 2004

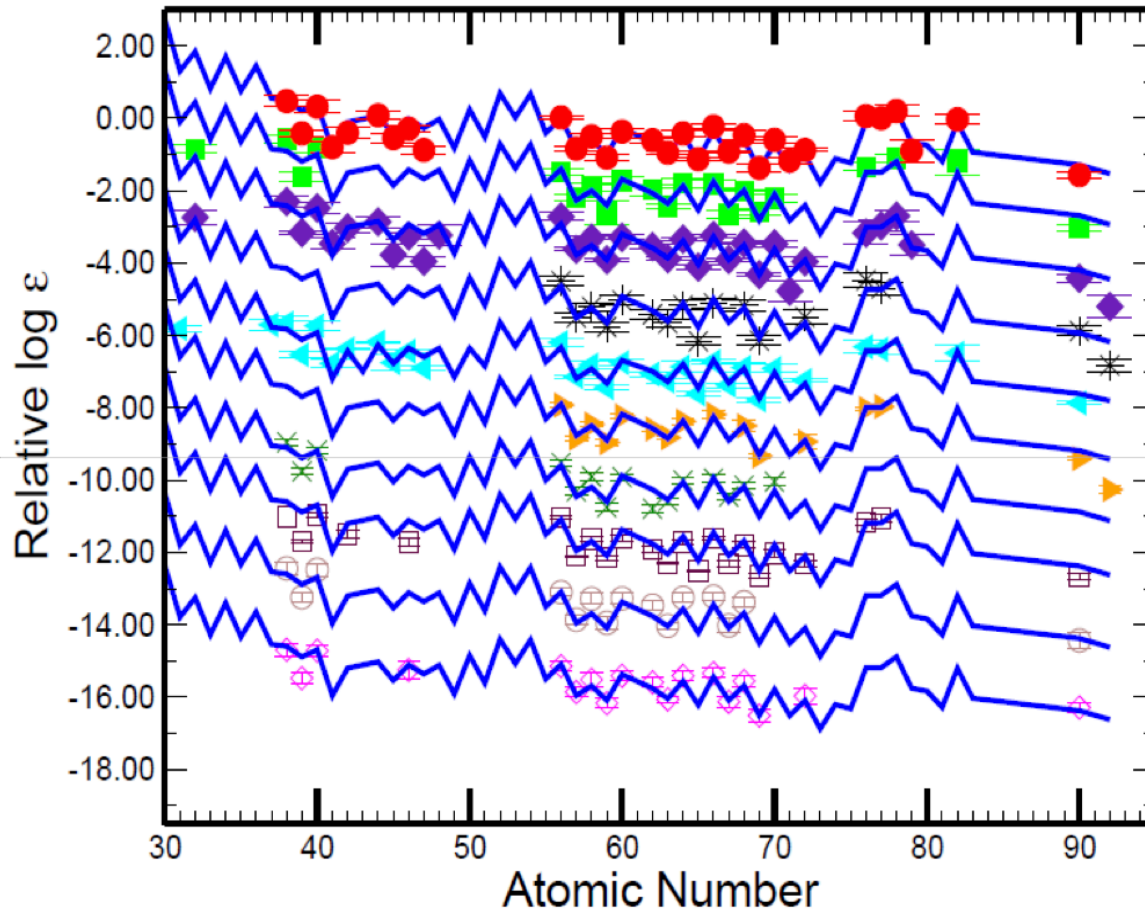


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Snedden, C., Cowan, J. J., & Gallino, R., *Ann. Rev. Ast. Ap.* **46** (2008) 241.

Artemis Spyrou, May 2015, Slide 4

Open questions: Origin of elements Sr-Y-Zr



- Abundance pattern robust above Ba
- Variations in the Sr-Y-Zr mass region
- Alternative processes proposed
 - LEPP
 - weak r-process
 - vp-process

Cowan, et al, 2011



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Open questions: What is the site of the r-process?



Core Collapse Supernova?

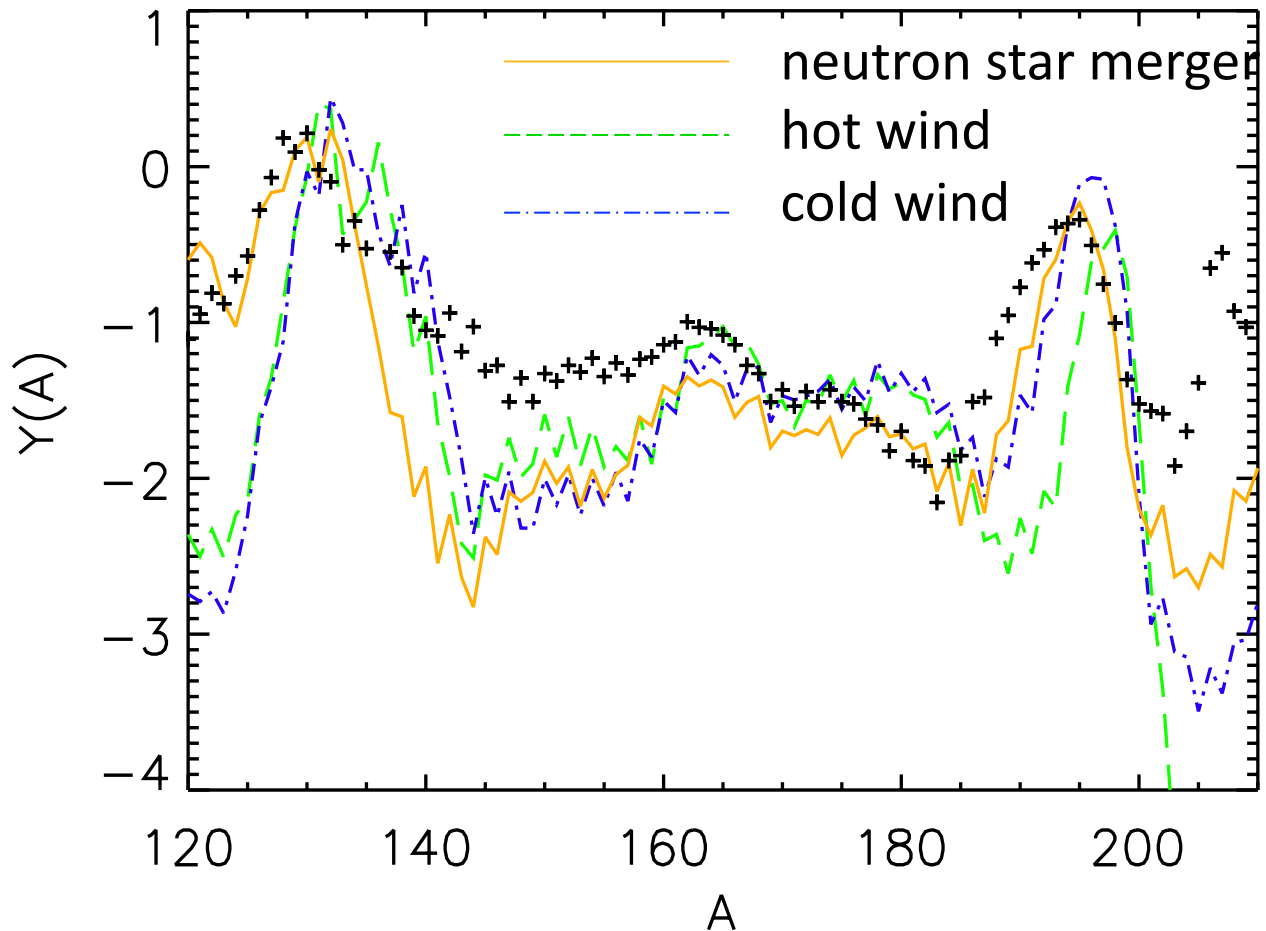
Credit: Erin O'Donnell, MSU

Neutron Star Merger?



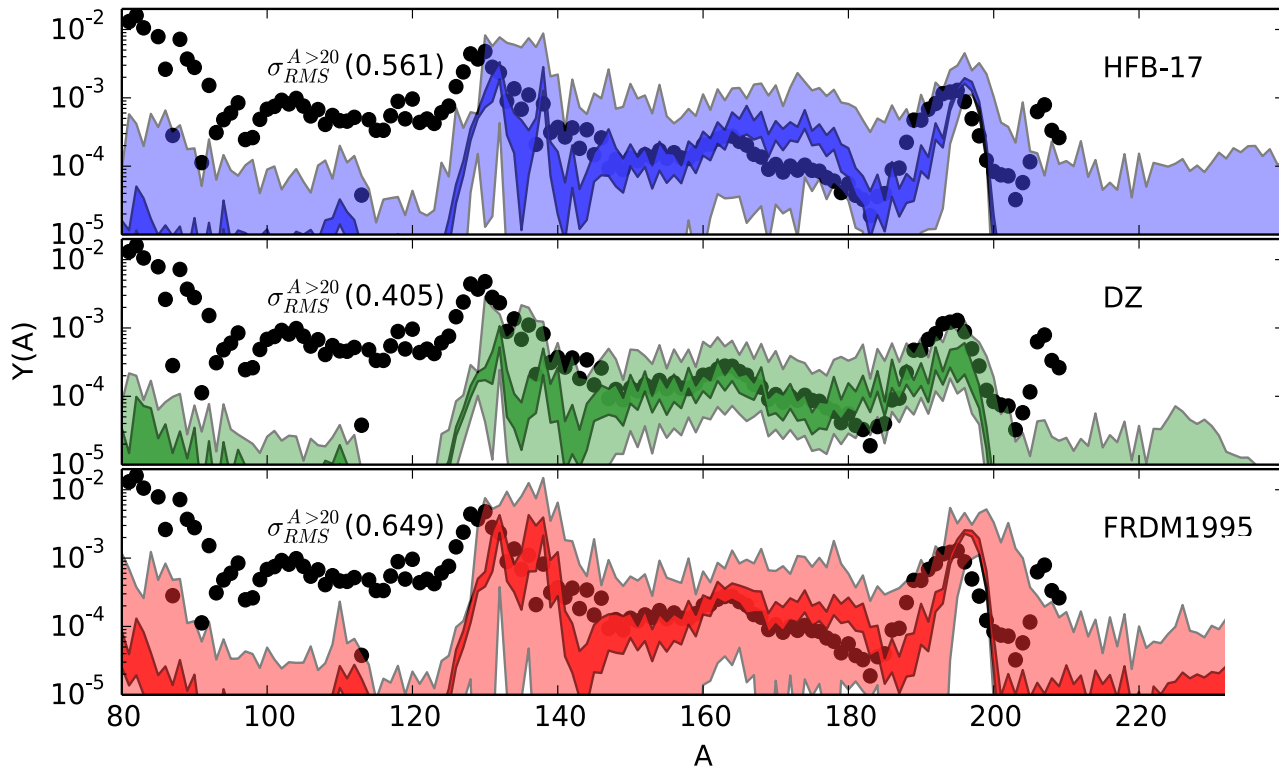
Credit: NASA Goddard

r-process calculations

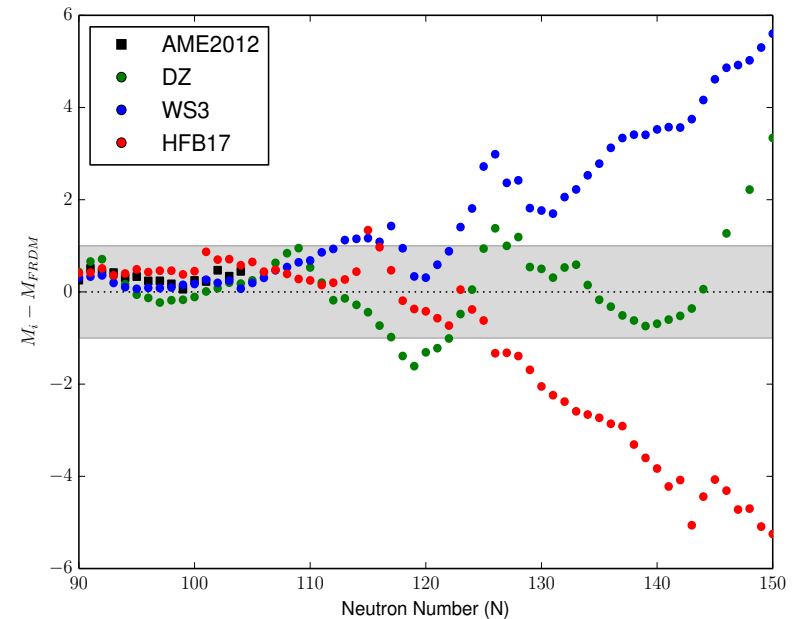


- Abundance pattern is different for the different astrophysical scenarios.
- Does one of them reproduce the observed abundances best?
- Why can't we tell?

Nuclear Physics Uncertainties: masses

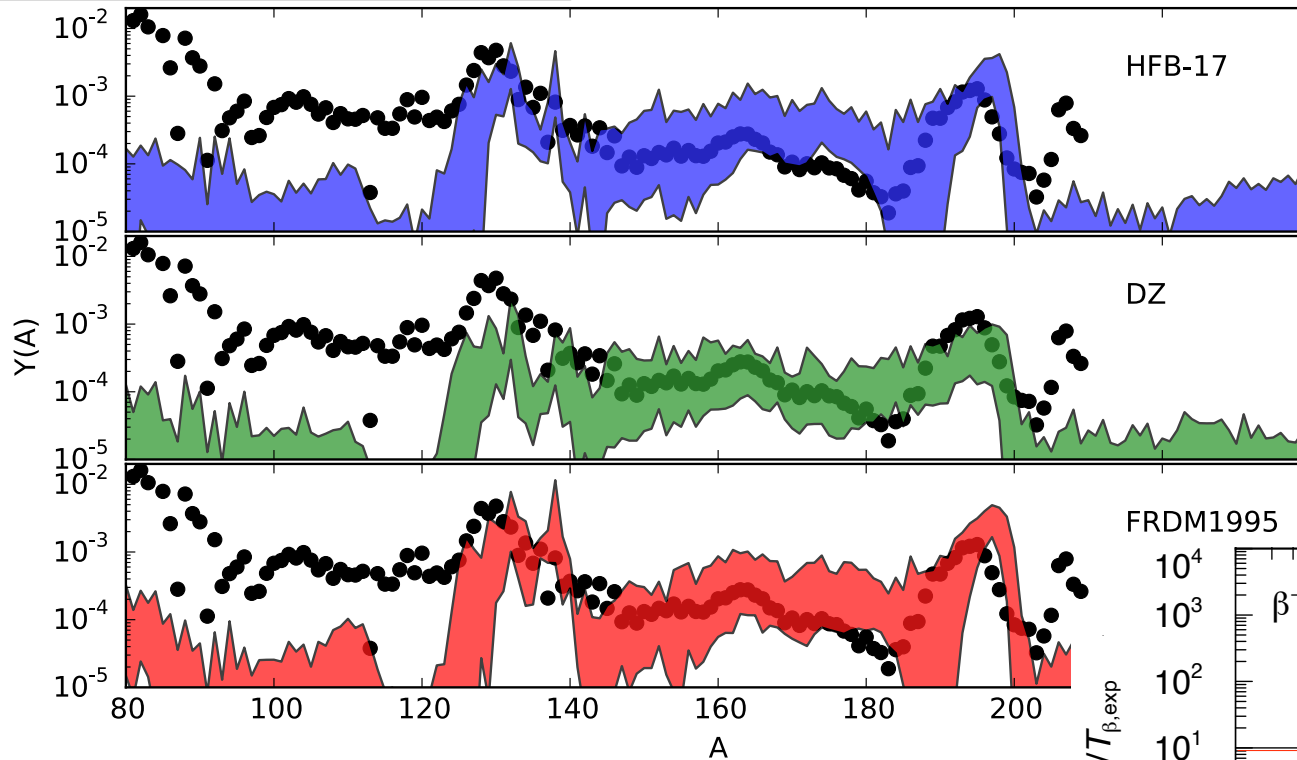


Monte-Carlo mass variations within:
mass model σ_{RMS} : wide light-shaded band
100 keV : narrow dark-shaded band

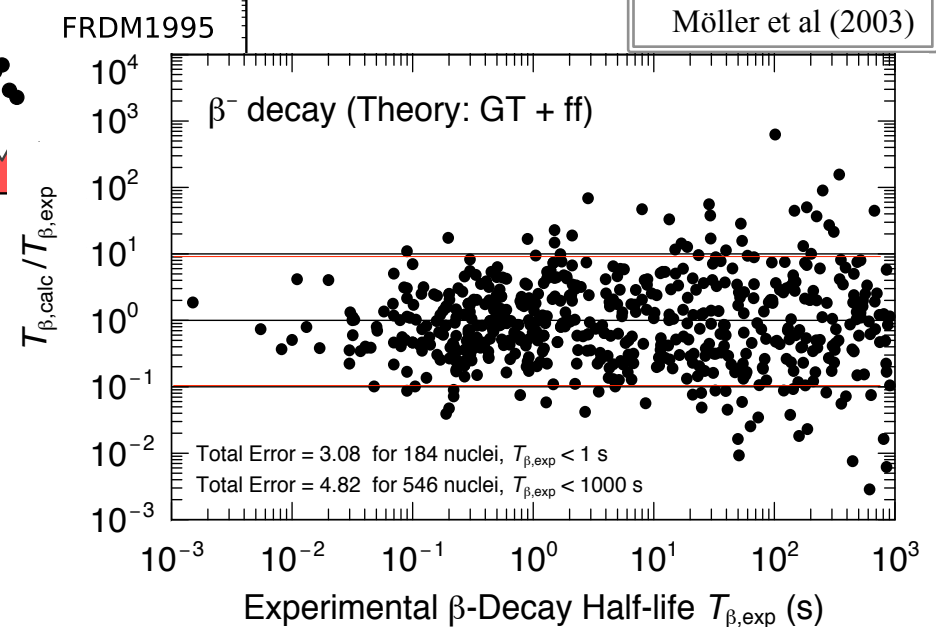


Nuclear Physics Uncertainties: β - decay

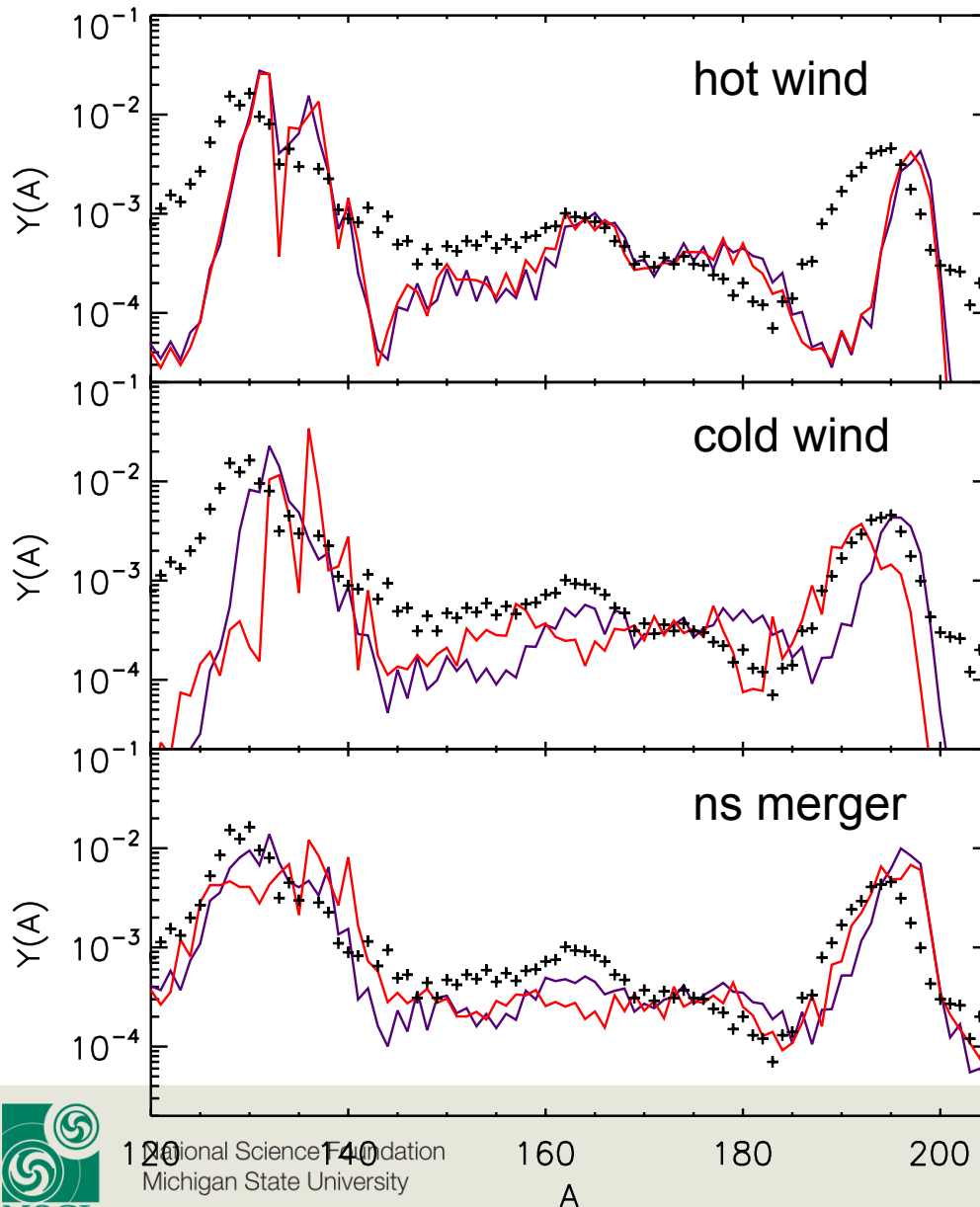
Mumpower, Surman, Aprahamian (2015)



Monte-Carlo mass variations of half lives



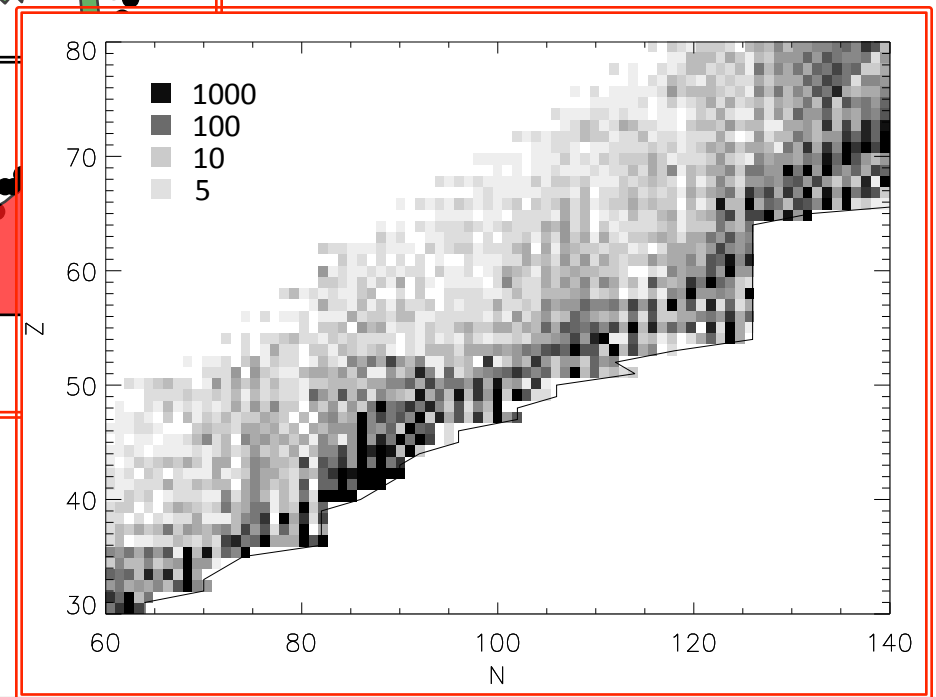
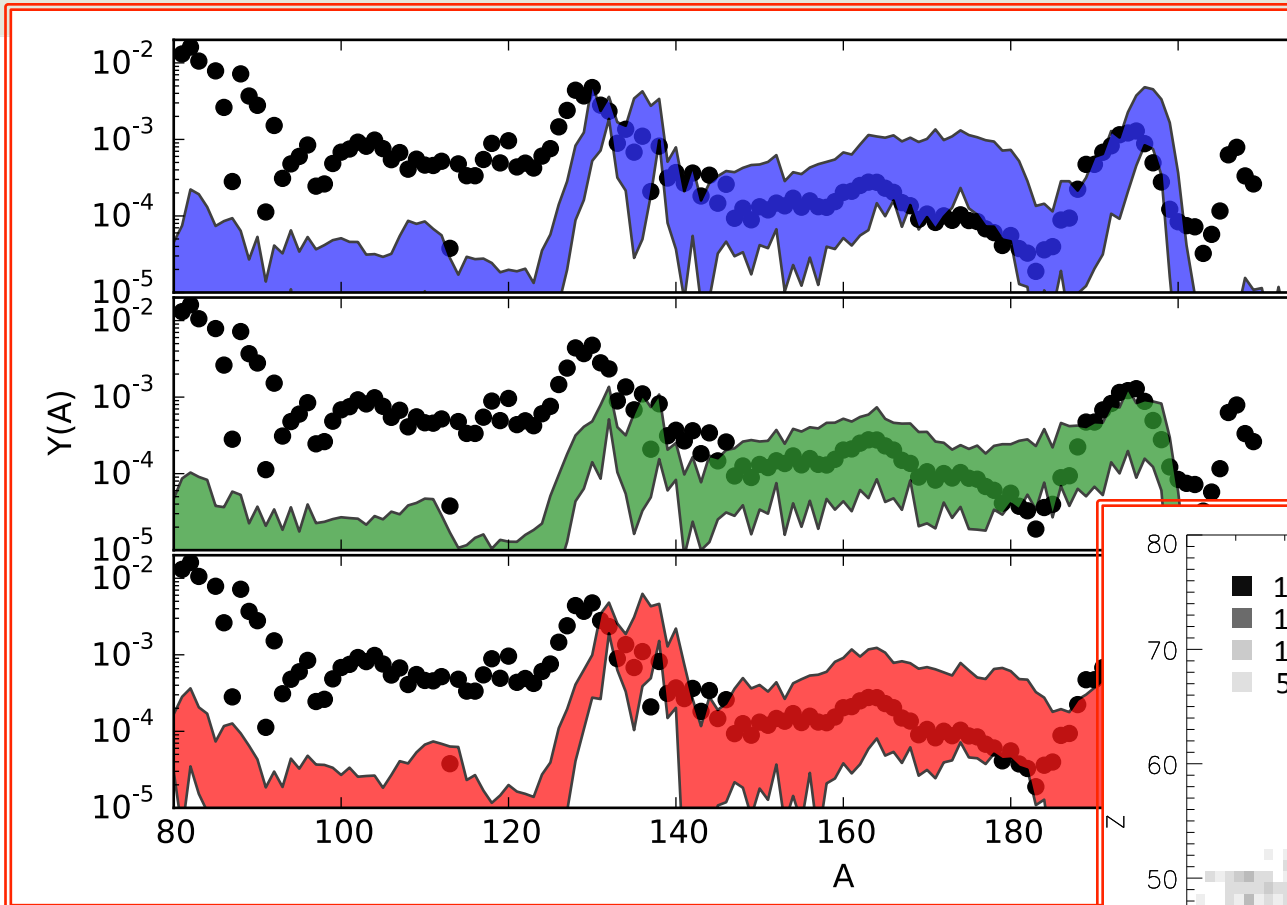
Nuclear Physics Uncertainties: βn



— with bdne
— without bdne

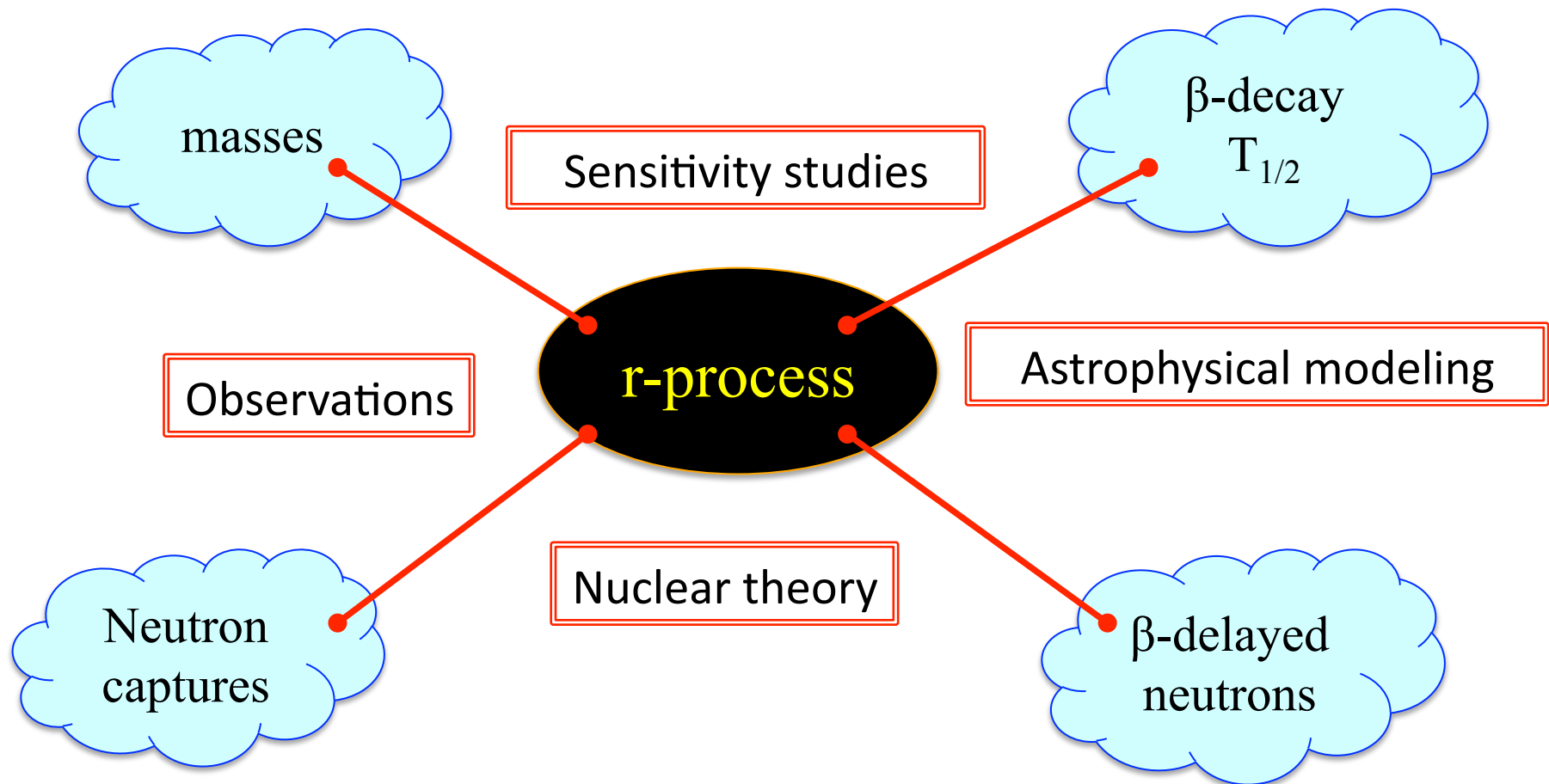
r-process simulation results with and without β -delayed neutron emission

Nuclear Physics Uncertainties: (n, γ)



Monte-Carlo variations of (n, γ) rates within a factor 100.

r-process



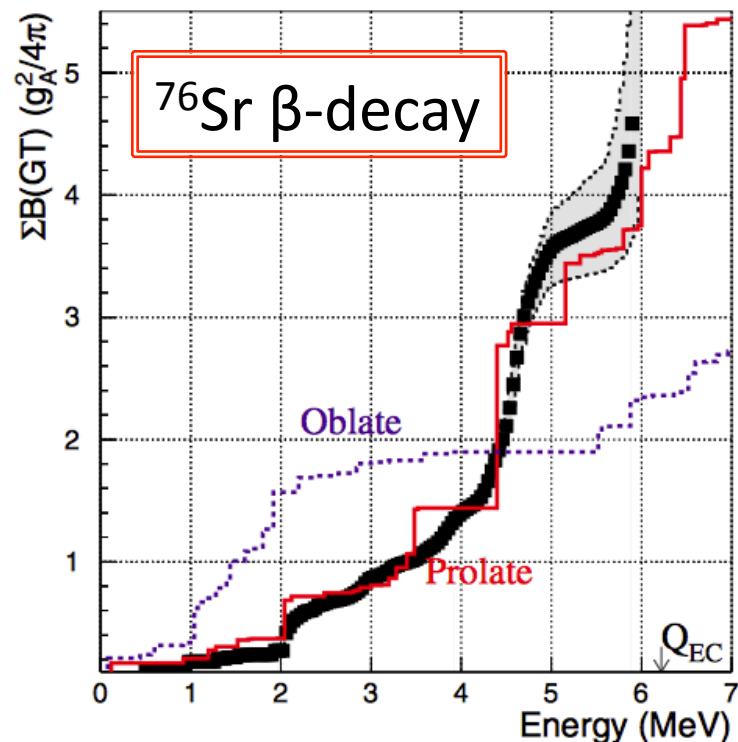
Why measure the β decay strength

- Model constraints for better input in r-process calculations

(Cannot measure everything - we need to rely on model predictions)

- Nuclear structure information

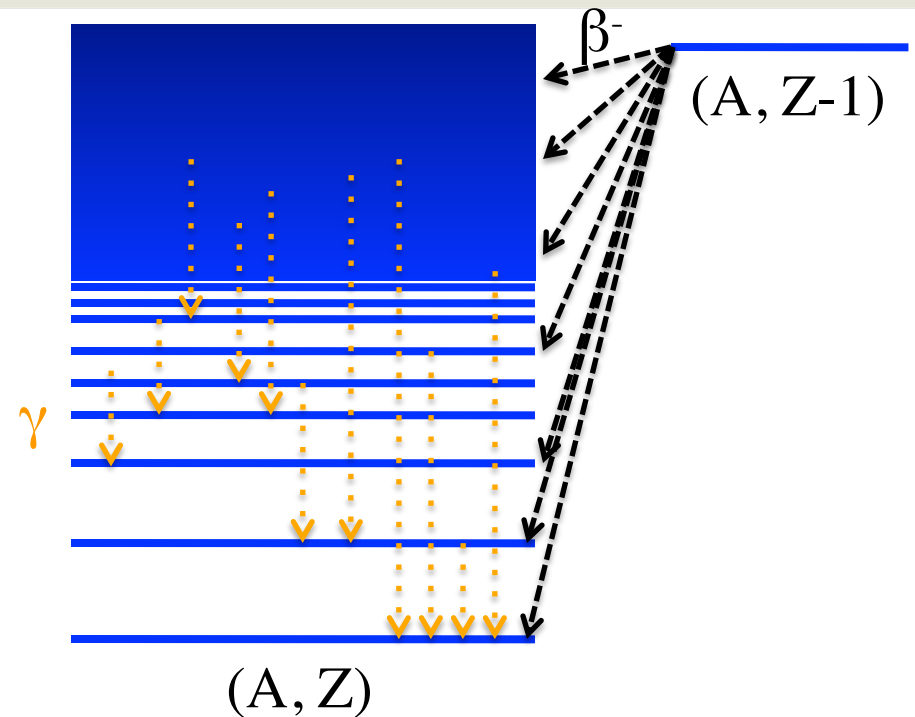
- $T_{1/2}$ sensitive to nuclear shape
- Can get same $T_{1/2}$ for different shapes
- Sensitivity to the nuclear shape



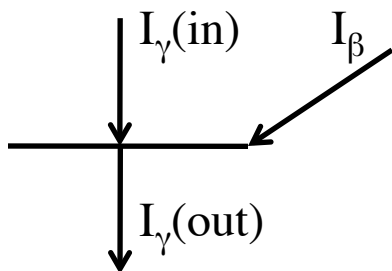
The pandemonium effect



John Milton's "Paradise Lost"



Small size – low efficiency detector

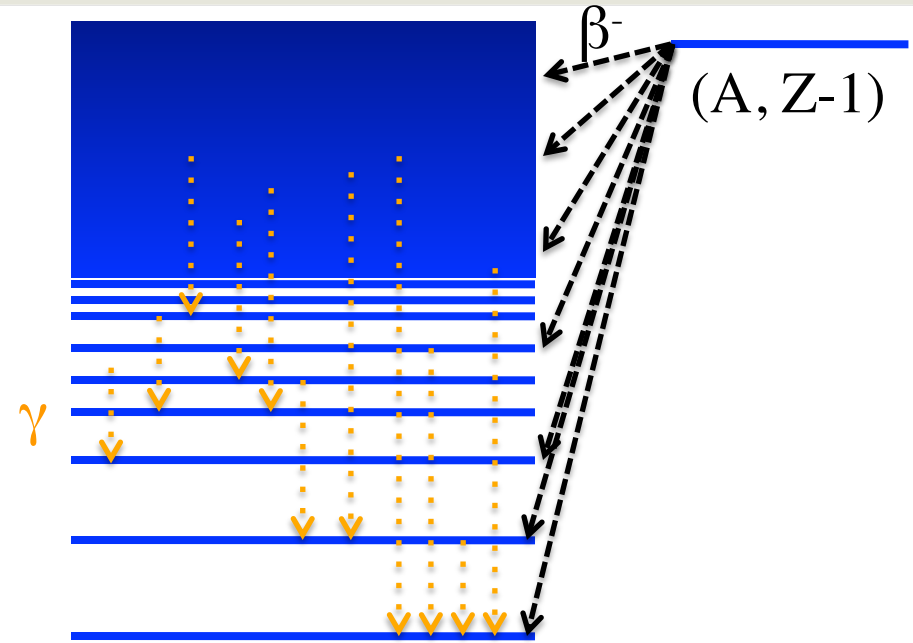
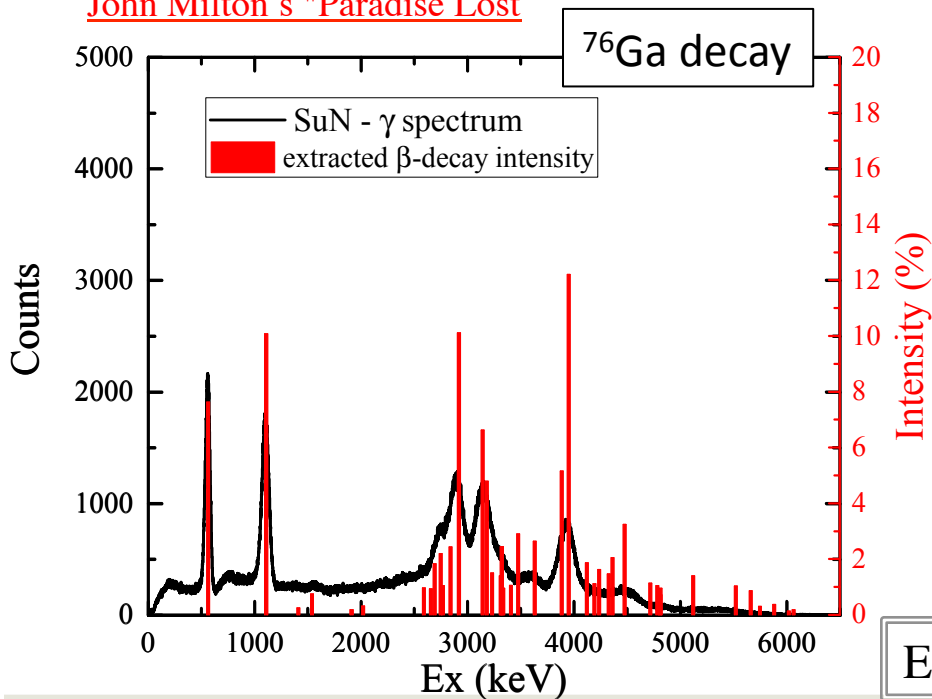


$$I_{\beta} = I_{\gamma}(\text{out}) - I_{\gamma}(\text{in})$$

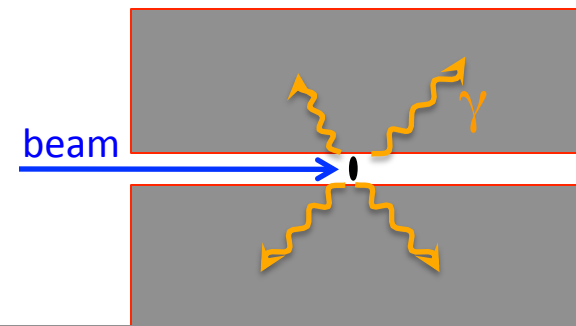
The pandemonium effect: solution



John Milton's "Paradise Lost"



Large size - high efficiency detector

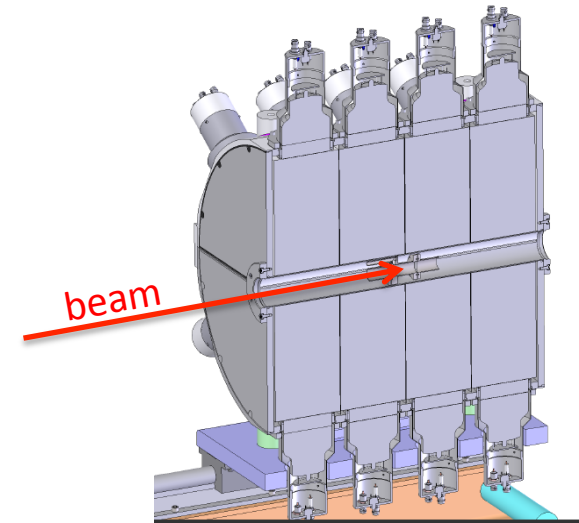
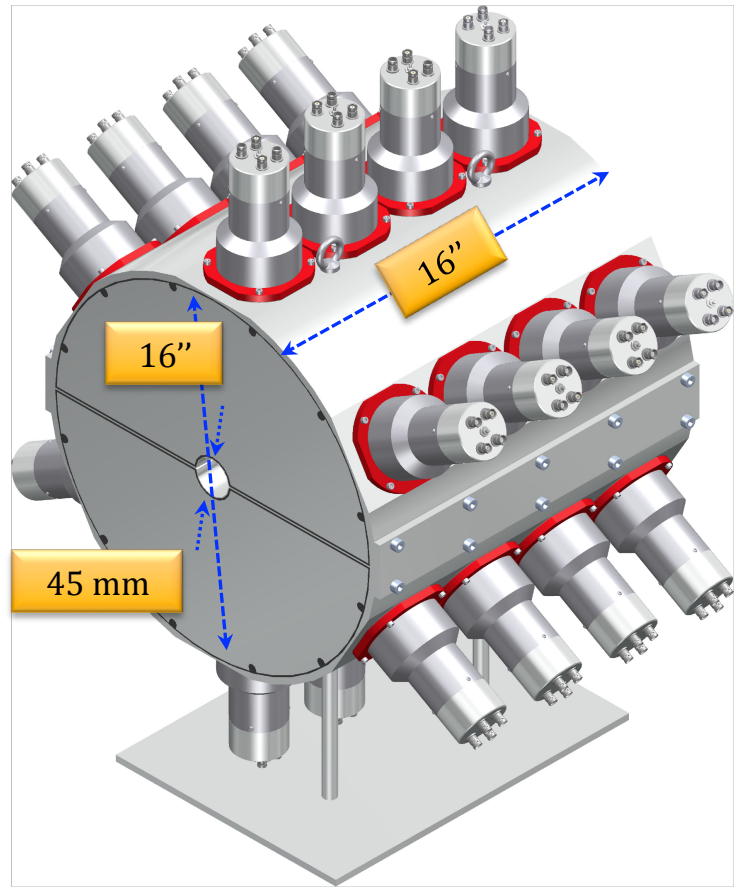


$$E_x = E_{\gamma 1} + E_{\gamma 2} + E_{\gamma 3} + E_{\gamma 4} + \dots$$

J.C. Hardy *et al.*, *Phys. Lett. B* 71 (1977) 307.

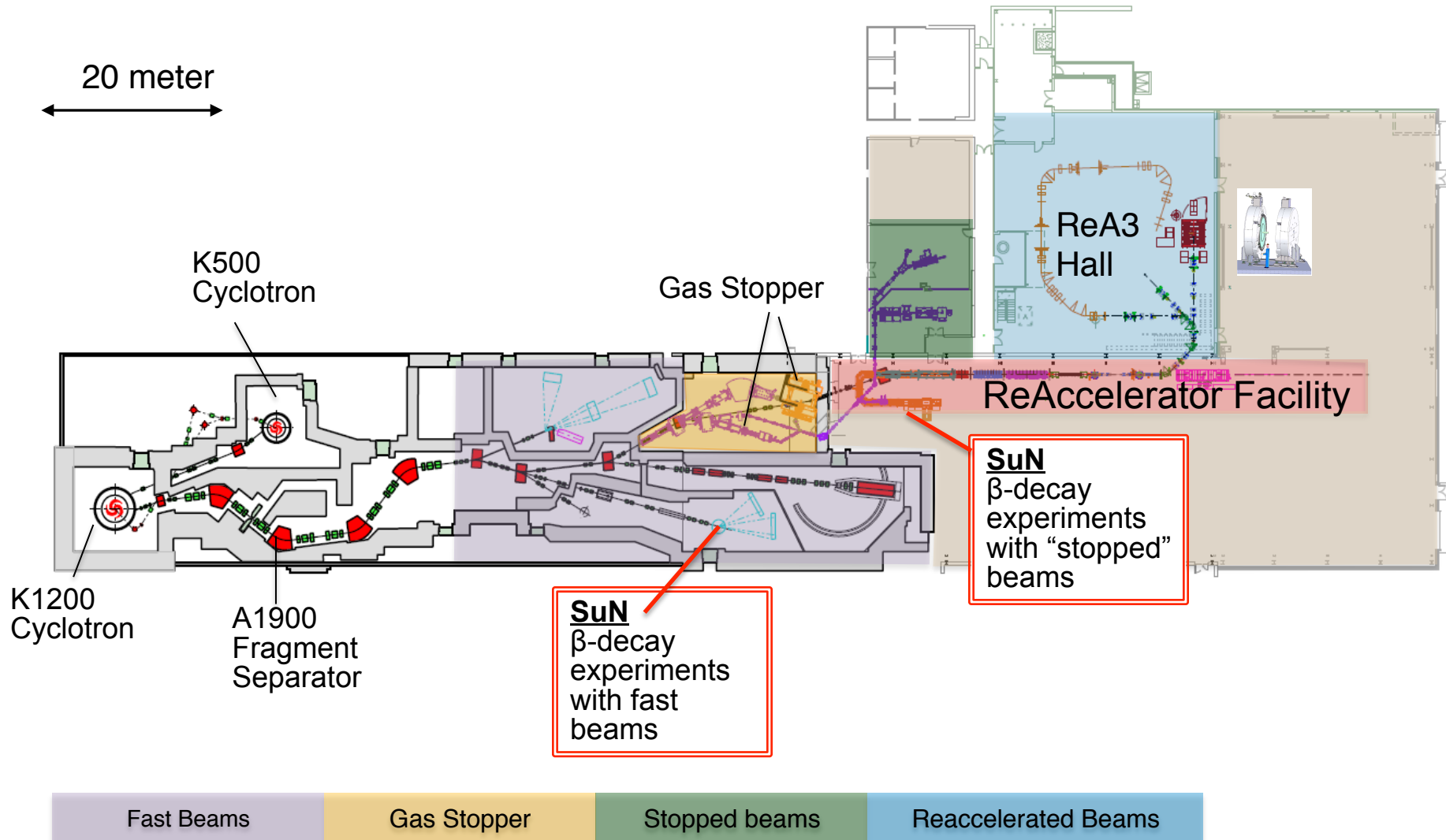


Summing NaI - SuN

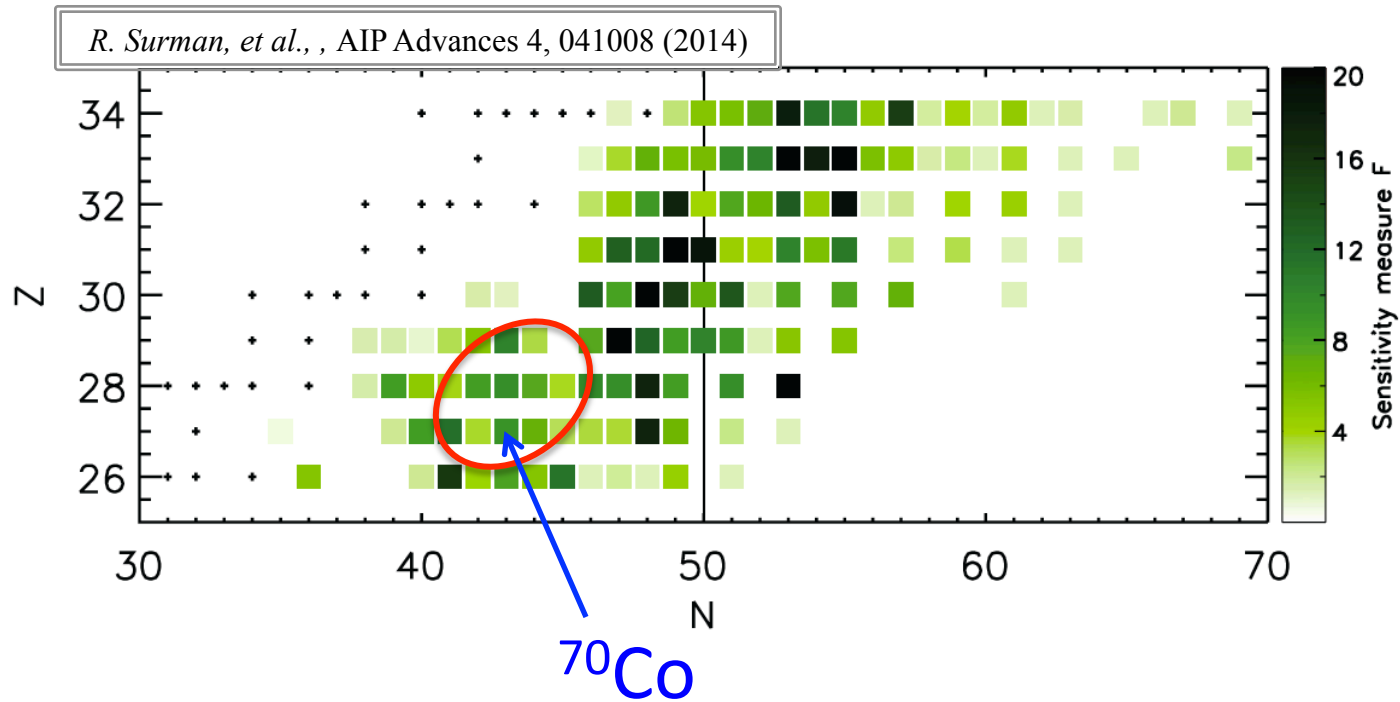


- ✓ 16x16 inch
- ✓ 45 mm borehole
- ✓ 2 pieces
- ✓ 8 segments
- ✓ 24 PMTs
- ✓ Efficiency $> 85\%$ for 1 MeV

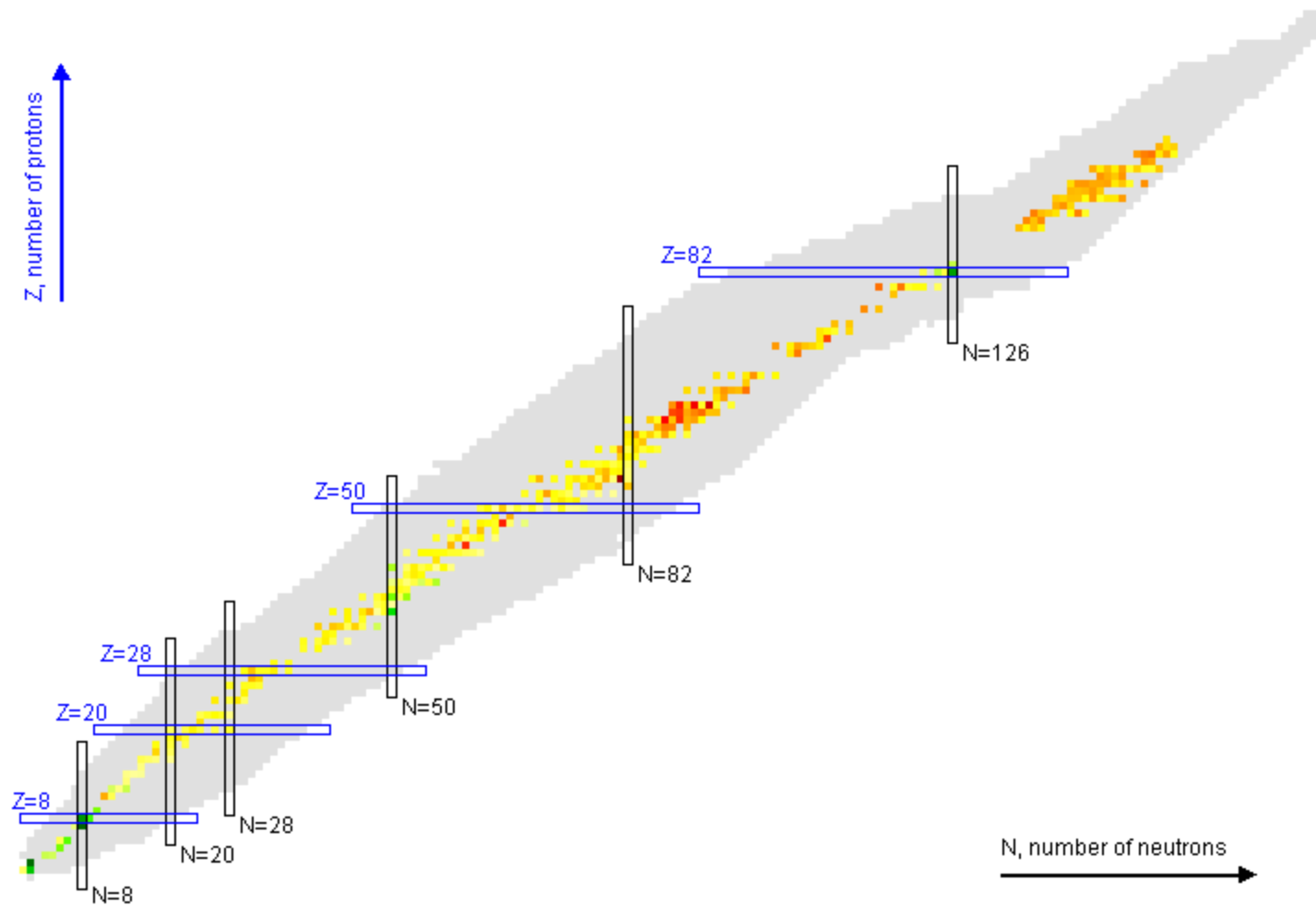
Experimental techniques



Weak r-process sensitivity



Current (n, γ) measurements



Neutron Capture – Uncertainties

Hauser – Feshbach

- Nuclear Level Density

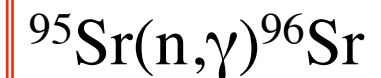
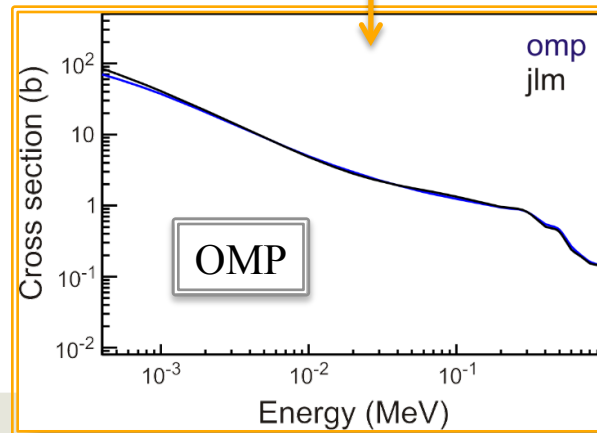
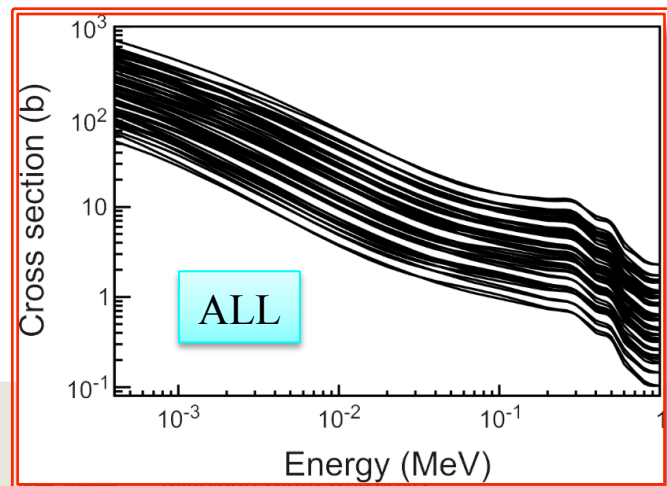
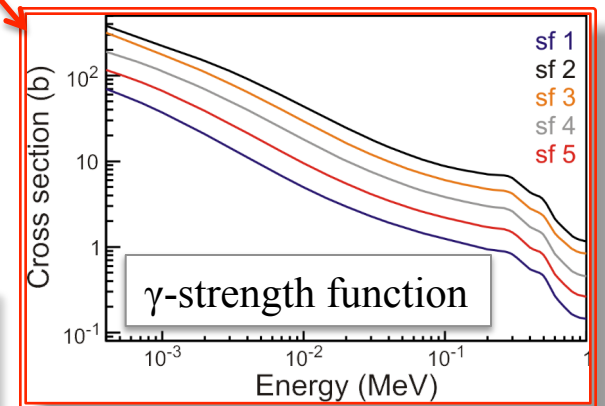
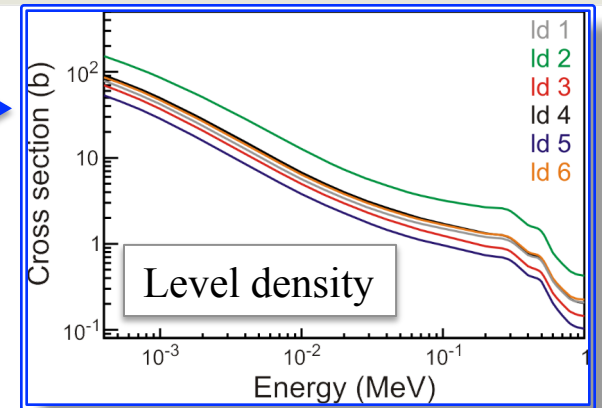
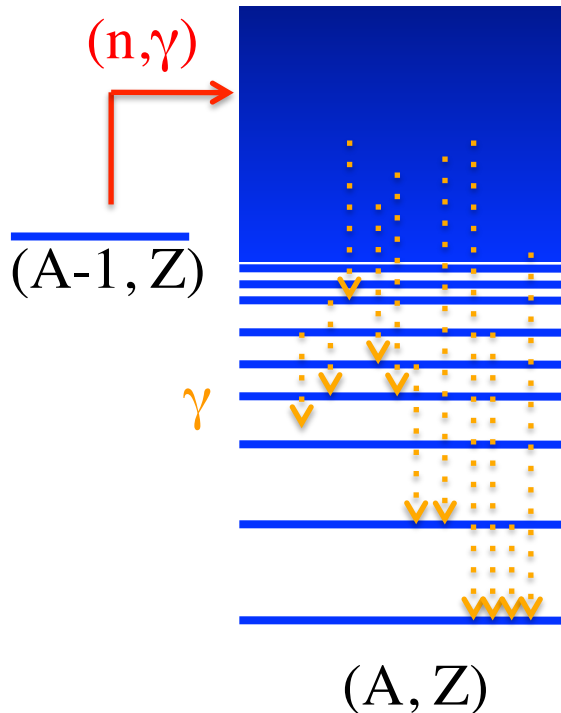
Constant T+Fermi gas, back-shifted Fermi gas, superfluid, microscopic

- γ -ray strength function

Generalized Lorentzian, Brink-Axel, various tables

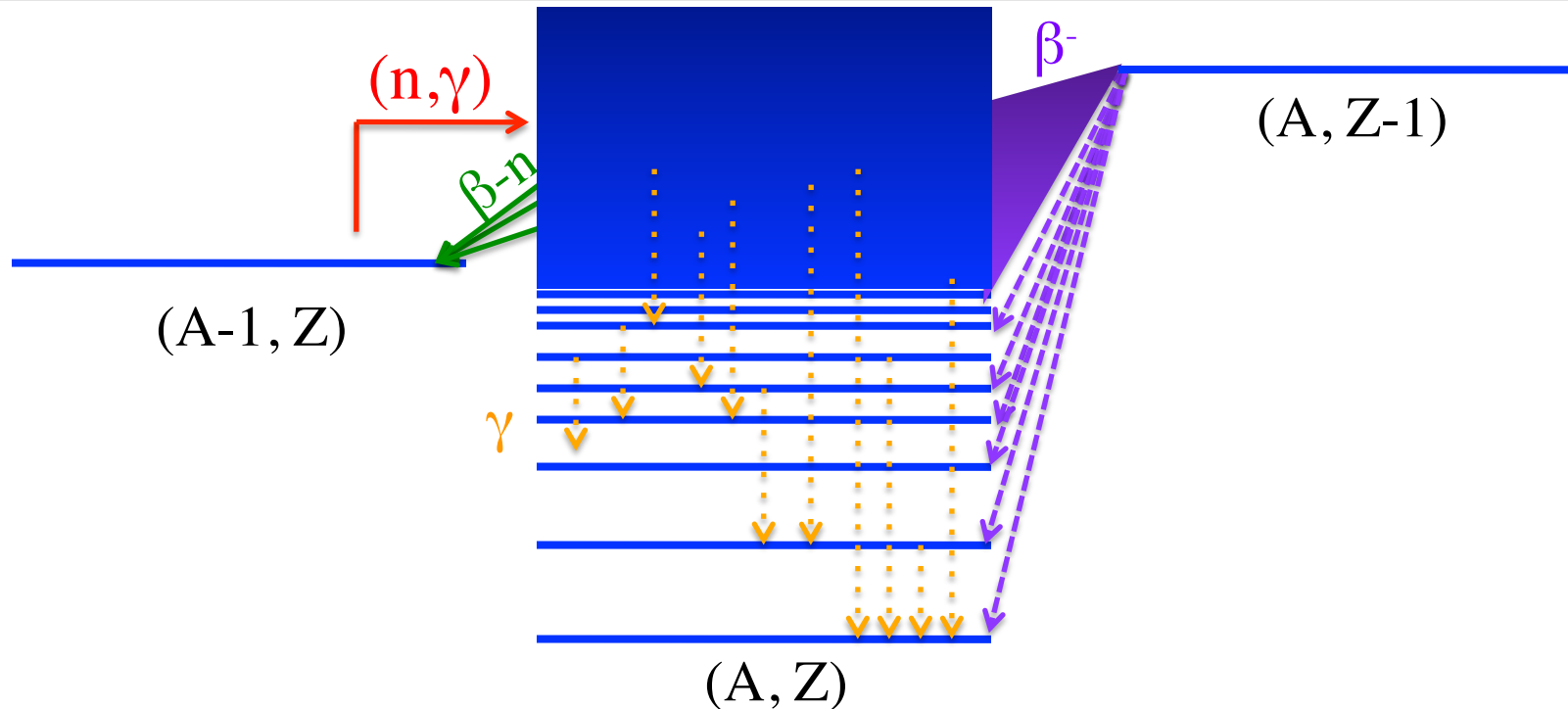
- Optical model potential

Phenomenological, Semi-microscopic



TALYS

Neutron Capture – β -Oslo



- Populate the compound nucleus via β -decay
- Spin selectivity – correct for it
- Extract level density and γ -ray strength function
- **Advantage: Can reach (n, γ) reactions where beam intensity is 1 pps.**

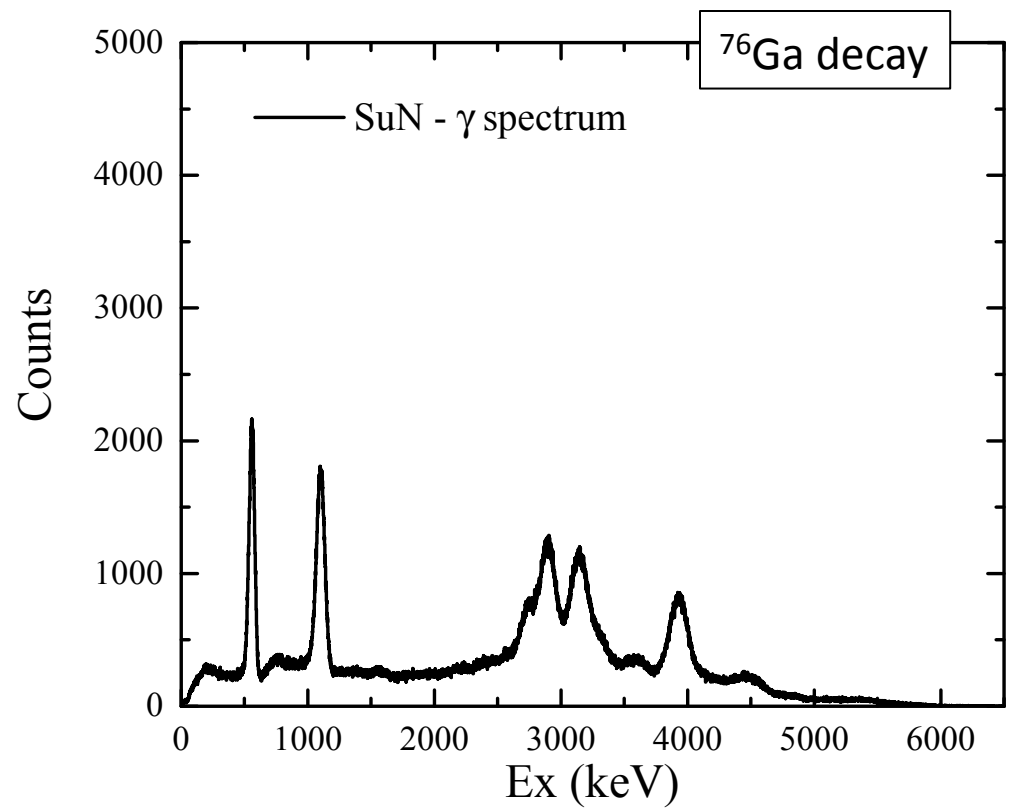
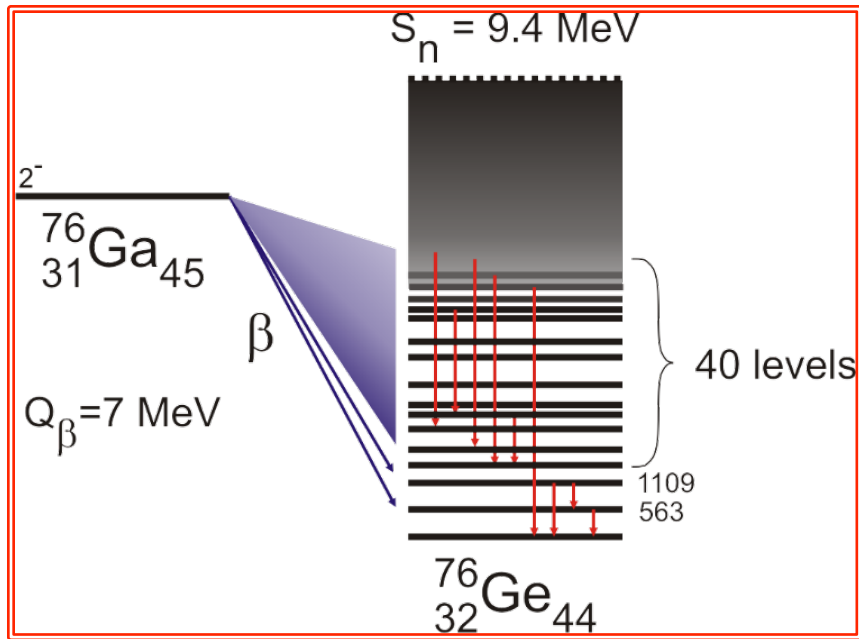
Proof-of-principle: $^{75}\text{Ge}(n,\gamma)^{76}\text{Ge}$

Z	^{73}Se 7.15 H s: 100.00%	^{74}Se STABLE 0.89%	^{75}Se 119.79 D s: 100.00%	^{76}Se STABLE 9.37%	^{77}Se STABLE 7.63%	^{78}Se STABLE 23.77%	^{79}Se 2.95E+5 Y β^- : 100.00%	^{80}Se STABLE 49.61% 2 β^-	^{81}Se 18.45 M β^- : 100.00%
33	^{72}As 26.0 H s: 100.00%	^{73}As 80.30 D s: 100.00%	^{74}As 17.77 D s: 66.00% β^- : 34.00%	^{75}As STABLE 100%	^{76}As 1.0942 D β^- : 100.00%	^{77}As 38.83 H β^- : 100.00%	^{78}As 90.7 M β^- : 100.00%	^{79}As 9.01 M β^- : 100.00%	^{80}As 15.2 S β^- : 100.00%
32	^{71}Ge 11.43 D s: 100.00%	^{72}Ge STABLE 27.45%	^{73}Ge STABLE 7.75%	^{74}Ge STABLE 36.50%	^{75}Ge 82.78 M β^- : 100.00%	^{76}Ge STABLE 7.73%	^{77}Ge 11.30 H β^- : 100.00%	^{78}Ge 88.0 M β^- : 100.00%	^{79}Ge 18.98 S β^- : 100.00%
31	^{70}Ga 21.14 M β^- : 99.59% s: 0.41%	^{71}Ga STABLE 39.892%	^{72}Ga 14.10 H β^- : 100.00%	^{73}Ga 4.86 H β^- : 100.00%	^{74}Ga 8.12 M β^- : 100.00%	^{75}Ga 126 S β^- : 100.00%	^{76}Ga 32.6 S β^- : 100.00%	^{77}Ga 13.2 S β^- : 100.00%	^{78}Ga 5.09 S β^- : 100.00%
30	^{69}Zn 56.4 M β^- : 100.00%	^{70}Zn $\geq 2.3\text{E}+17$ Y 0.61% 2 β^-	^{71}Zn 2.45 M β^- : 100.00%	^{72}Zn 46.5 H β^- : 100.00%	^{73}Zn 23.5 S β^- : 100.00%	^{74}Zn 95.6 S β^- : 100.00%	^{75}Zn 10.2 S β^- : 100.00%	^{76}Zn 5.7 S β^- : 100.00%	^{77}Zn 2.08 S β^- : 100.00%
	39	40	41	42	43	44	45	46	N

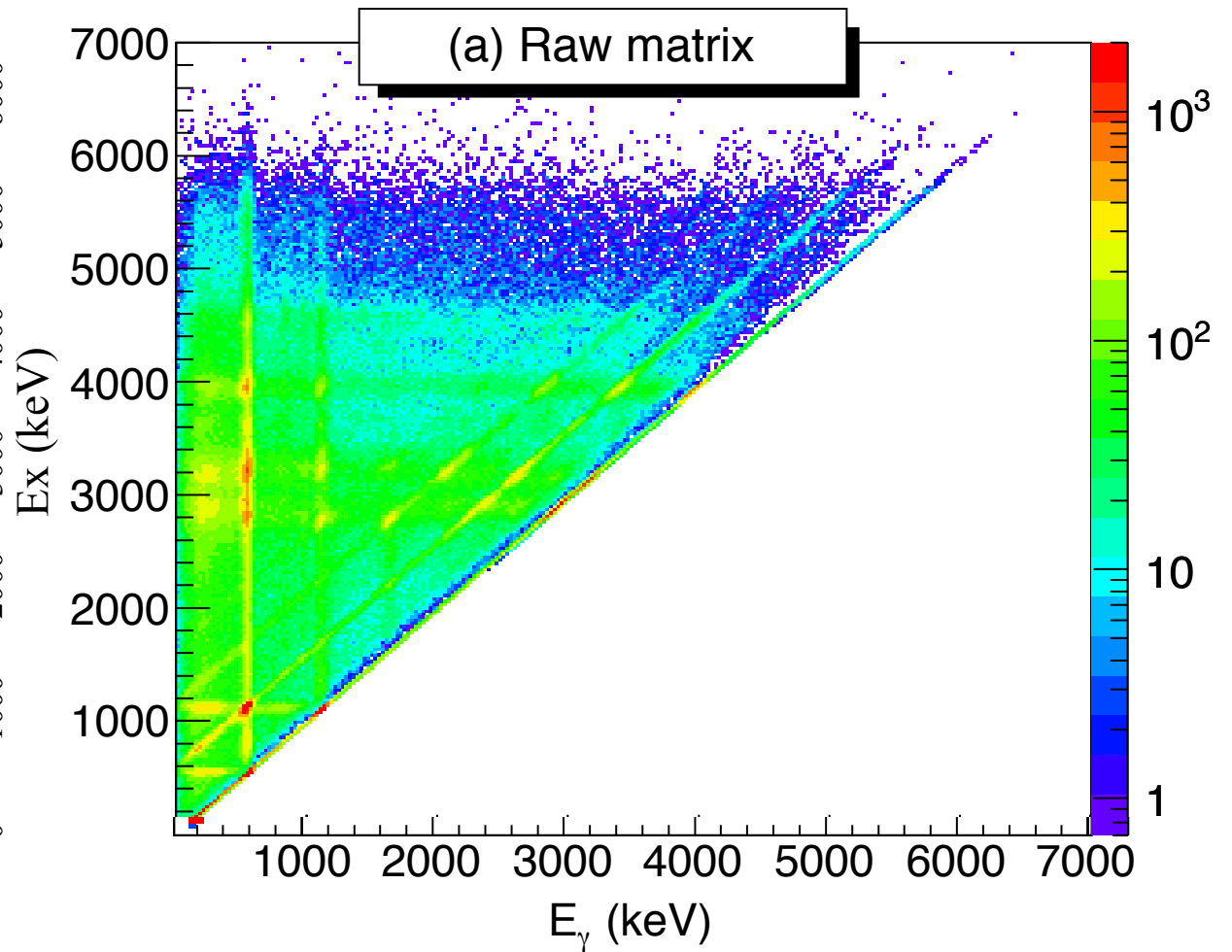
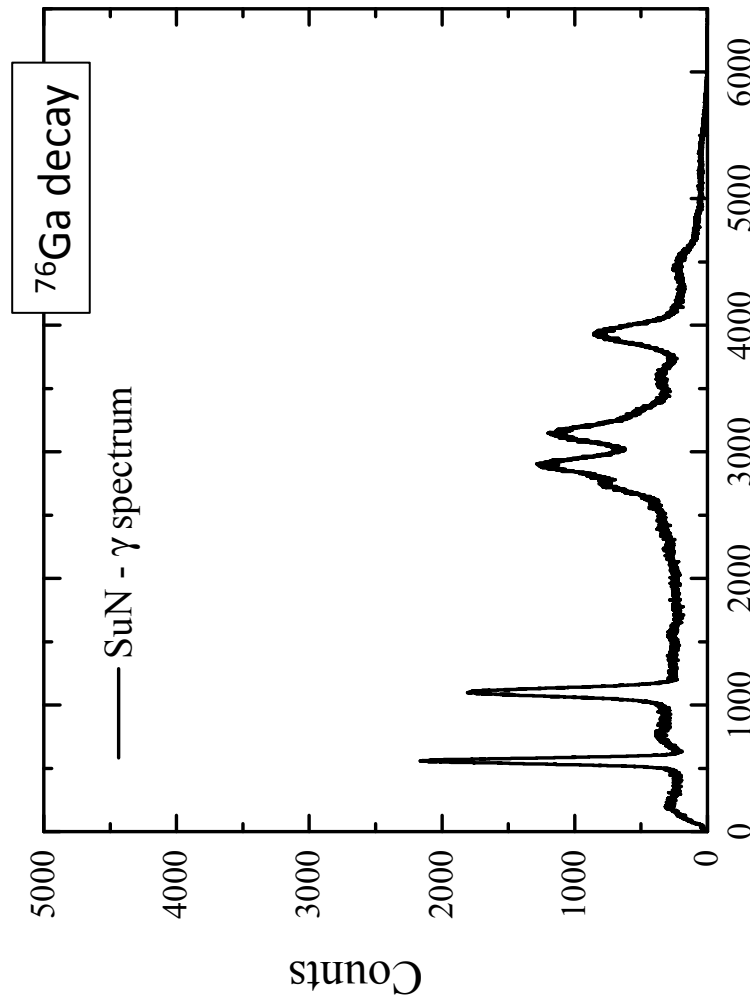
Diagram illustrating the nuclear reaction $^{75}\text{Ge}(n,\gamma)^{76}\text{Ge}$. The reaction is shown as a transition from ^{75}Ge (82.78 M, β^- : 100.00%) to ^{76}Ge (STABLE, 7.73%). The reaction is labeled (n,γ) and β^- .



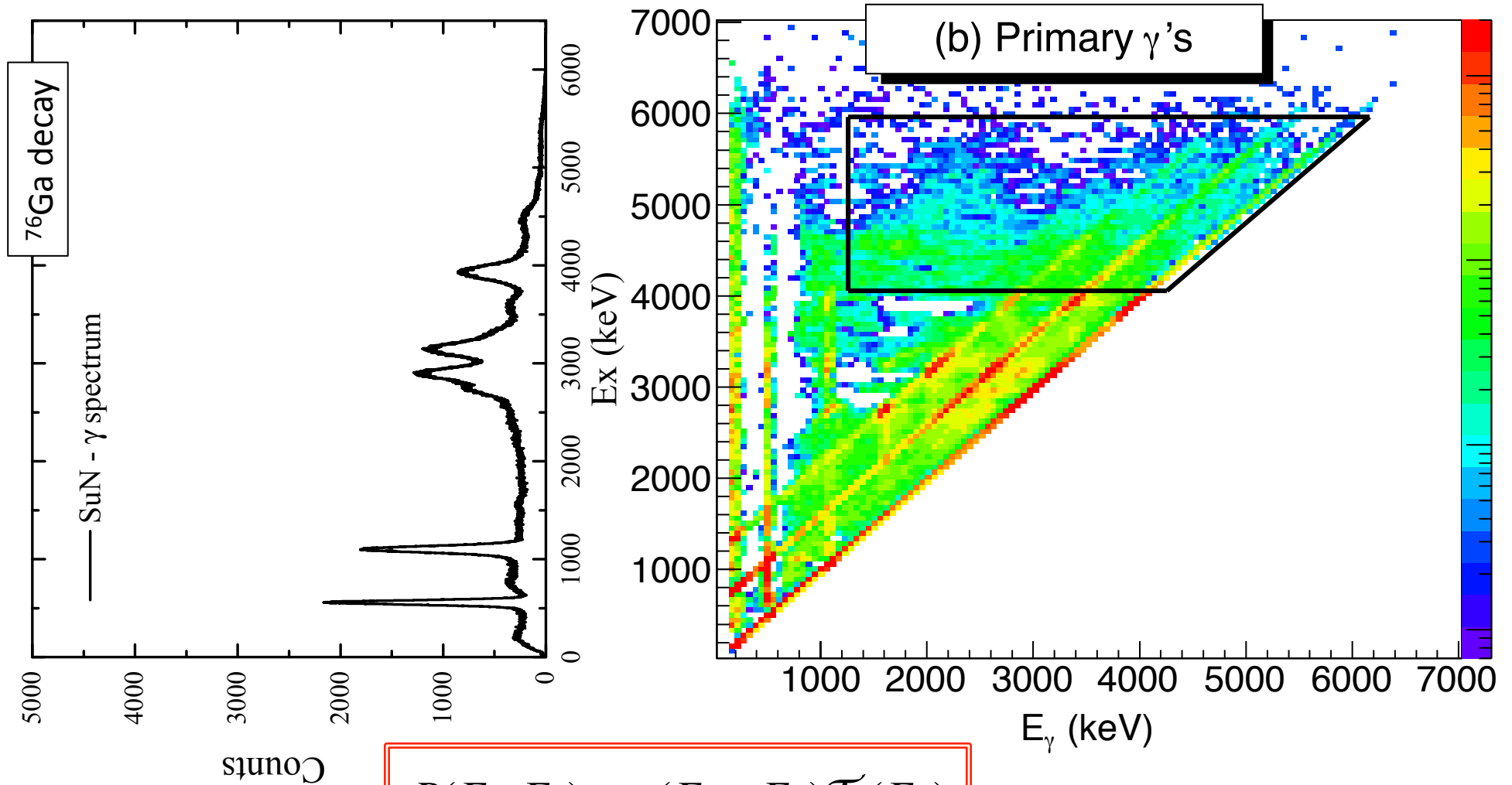
Proof-of-principle: $^{75}\text{Ge}(n,\gamma)^{76}\text{Ge}$



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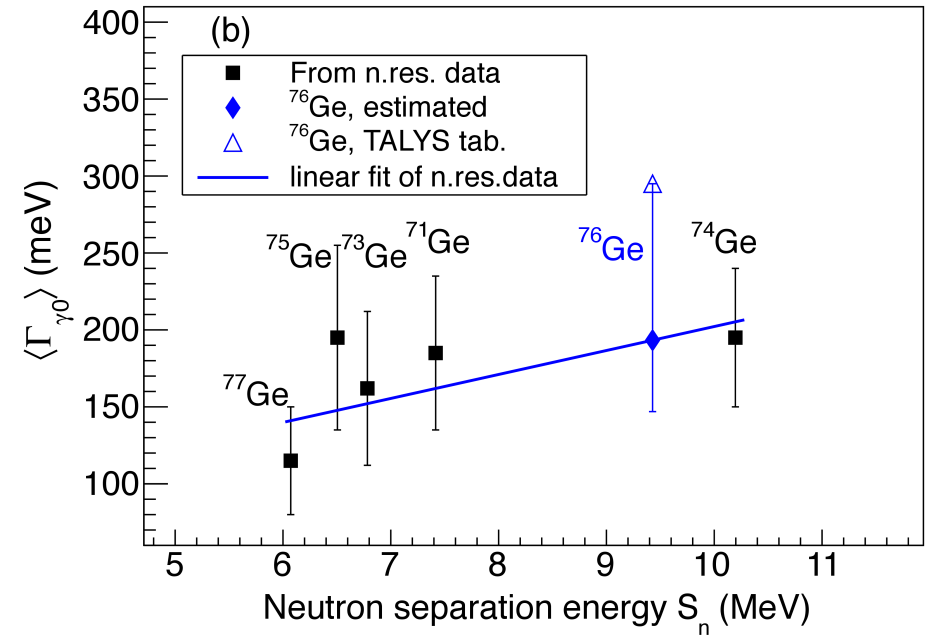
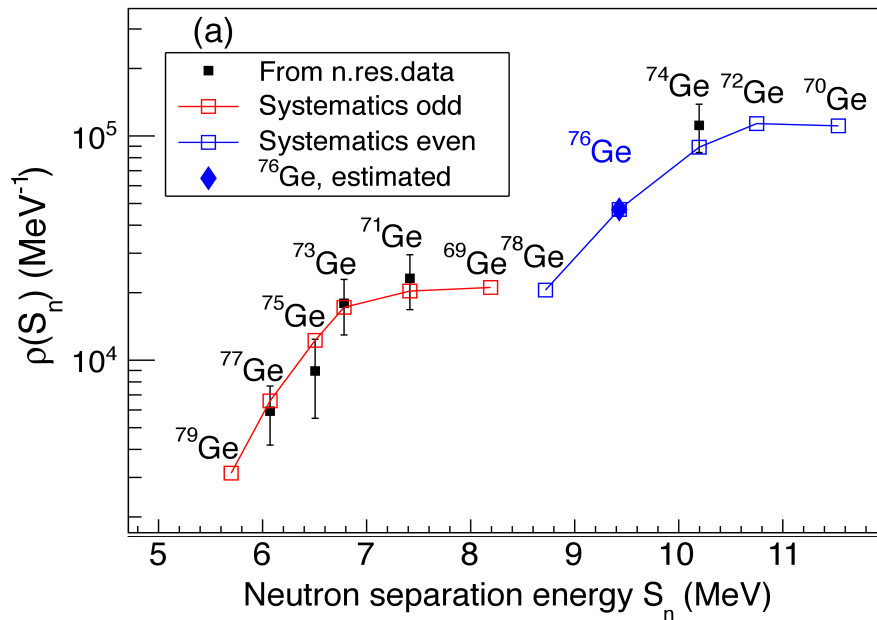


$$P(E_\gamma, E_x) = \rho(E_x - E_\gamma) \mathcal{T}(E_\gamma)$$

Spyrou, Liddick, Larsen, Guttormsen, et al, PRL2014

Normalizations

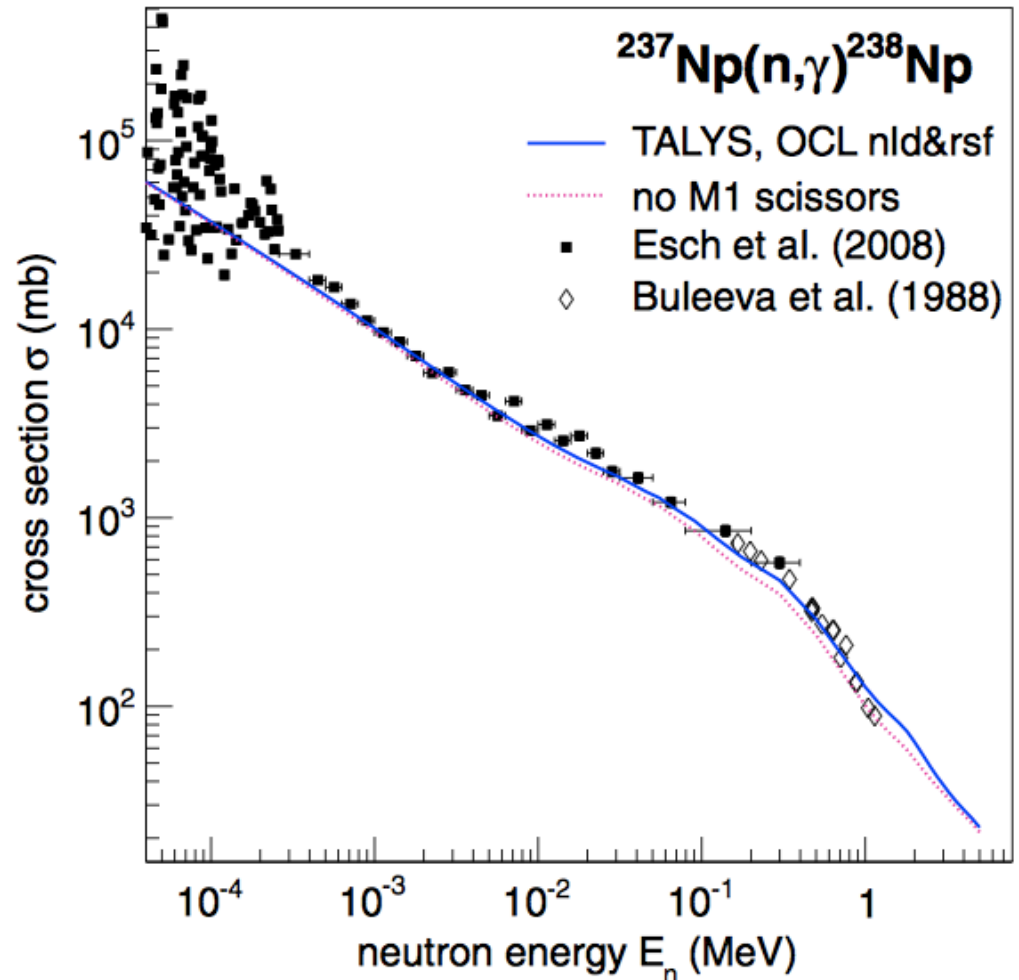
- Functional form of level density and strength function
- Three normalization points
 - Low-energy level density.
 - Level density at S_n .
 - Average radiative width at S_n .



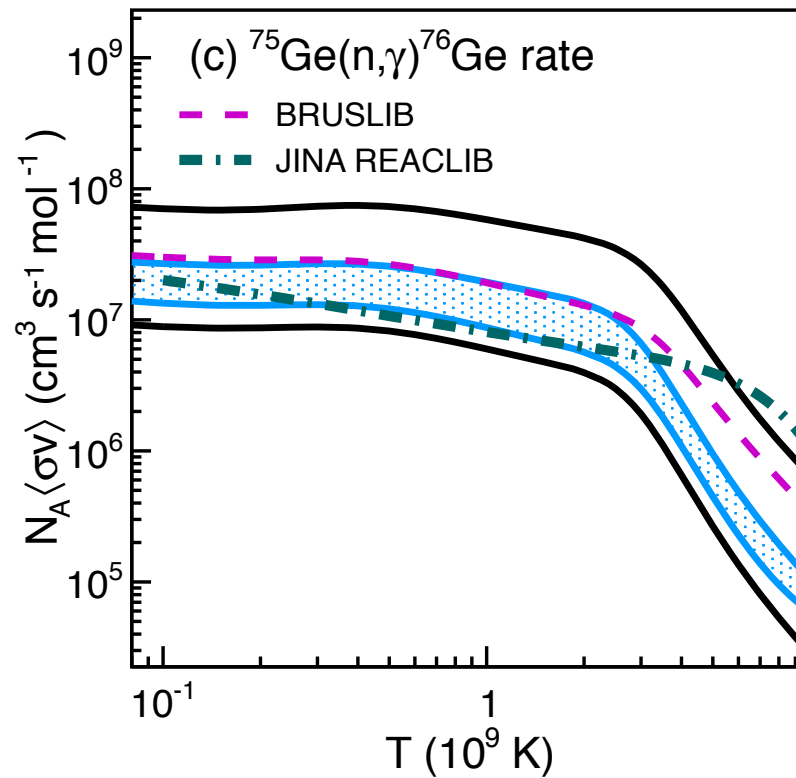
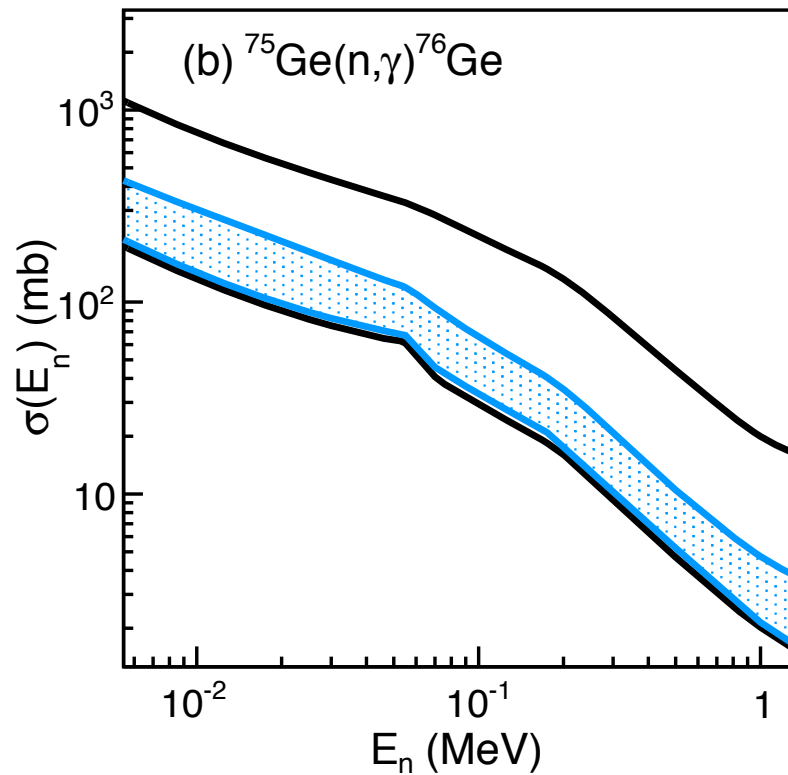
- $\rho(S_n)$ from
 - Systematics
 - Microscopic calculations
- $\langle \Gamma_{\gamma} \rangle$ normalized from systematics

Traditional Oslo method

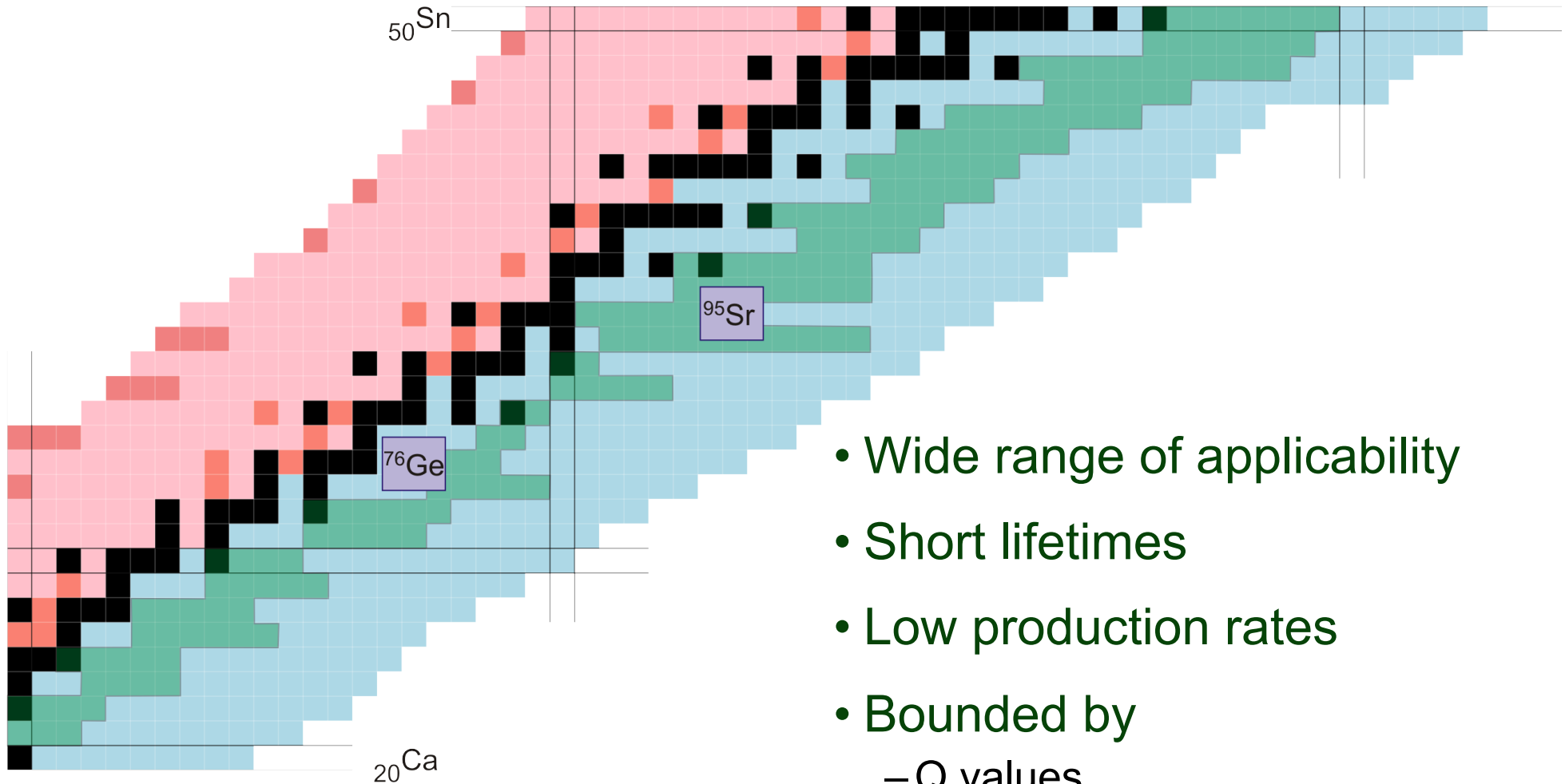
- Reaction based
- Applicable closer to stability
- Populate the compound nucleus of interest through a transfer or inelastic scattering
- Extract level density and γ -ray strength function
- Calculate “semi-experimental” (n,γ) cross section
- Excellent agreement with measured (n,γ) reaction cross section



Results: $^{75}\text{Ge}(n,\gamma)^{76}\text{Ge}$



Applicability



- Wide range of applicability
- Short lifetimes
- Low production rates
- Bounded by
 - Q values
 - Delayed neutron emission

Collaboration

Michigan State University

- S.N. Liddick
- K. Cooper
- A.C. Dombos
- D.J. Morrissey
- F. Naqvi
- S.J. Quinn
- A. Rodriguez
- C.S. Sumithrarachchi
- R.G.T. Zegers



University of Oslo

- A.C. Larsen
- M. Guttormsen
- T. Renstrøm

Central Michigan University

- G. Perdikakis

Notre Dame

- A. Simon



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